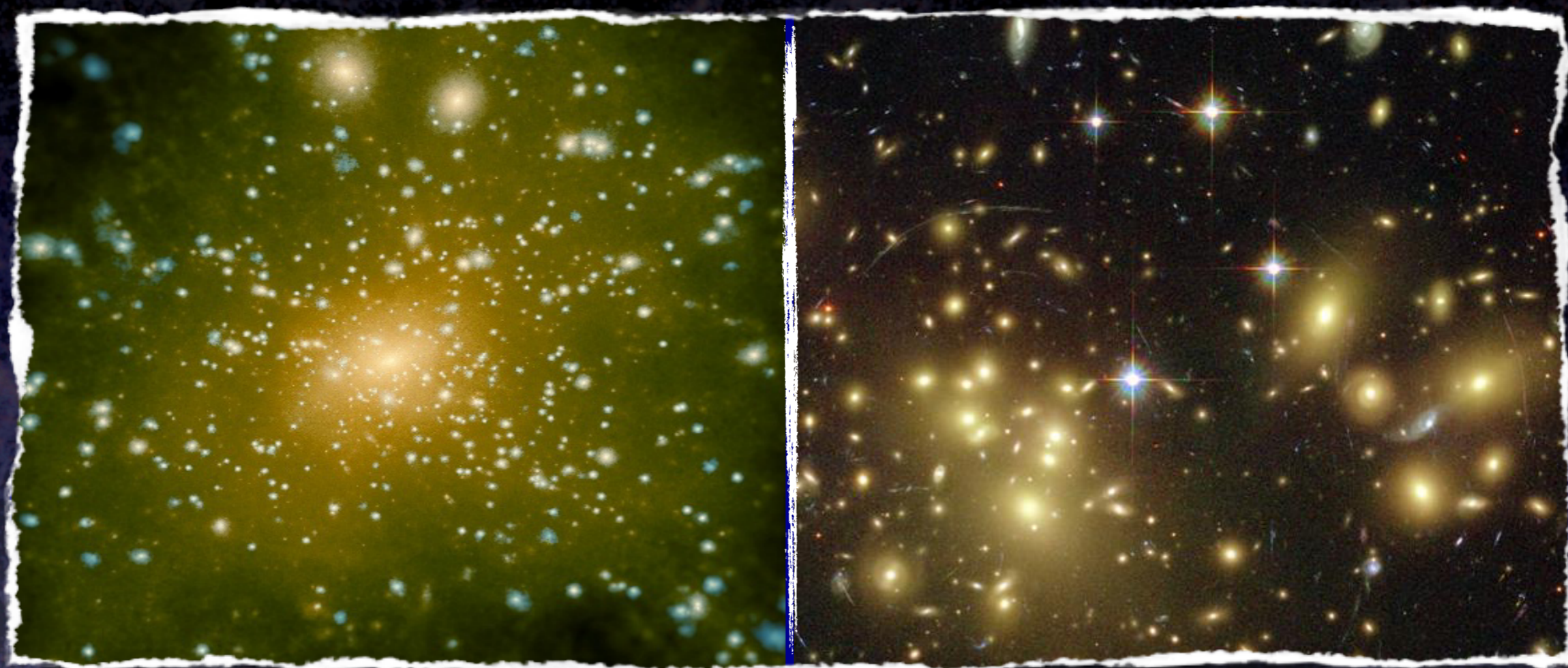


A Self-Consistent, Dynamic Model for the Evolution of the Galaxy-Dark Matter Connection across Cosmic Time



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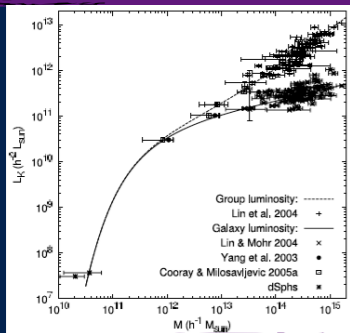


In collaboration with:

**Marcello Cacciato (HU), Surhud More (KICP), Xiaohu Yang (SHAO),
Houjun Mo (UMass), Youcai Zhang (SHAO), Jiaxin Han (SHAO)**

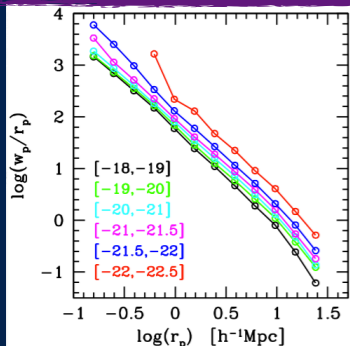
Static Methods

Sub-Halo Abundance Matching



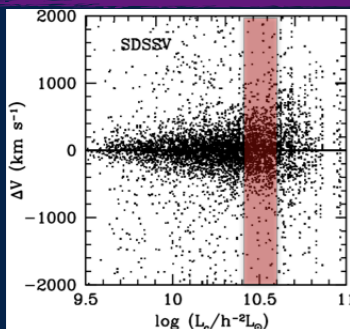
Vale & Ostriker 2004, 2006; Conroy et al. 2006; Shankar et al. 2006; Conroy & Wechsler 2009; Moster et al. 2010; Behroozi et al. 2010; Wetzel & White 2010

Galaxy Clustering



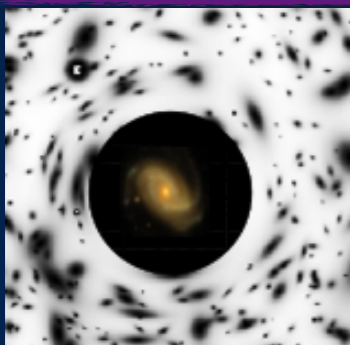
Jing, et al. 1998; Peacock & Smith 2000; Berlind & Weinberg 2002; Zheng 2004; Yang, Mo & vdB 2003; vdB, Yang & Mo 2003; Tinker et al. 2005; vdB et al. 2007

Satellite Kinematics



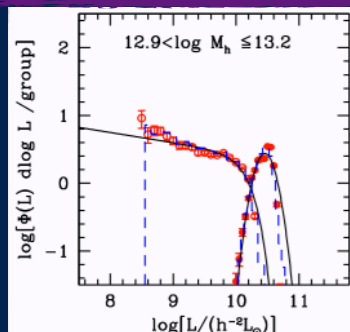
Zaritsky & White 1994; McKay et al 2002; Prada et al. 2003; vdB et al. 2004; Conroy et al. 2005; Norberg, Frenk & Cole 2008; More et al. 2009, 2011;

Galaxy-Galaxy Lensing



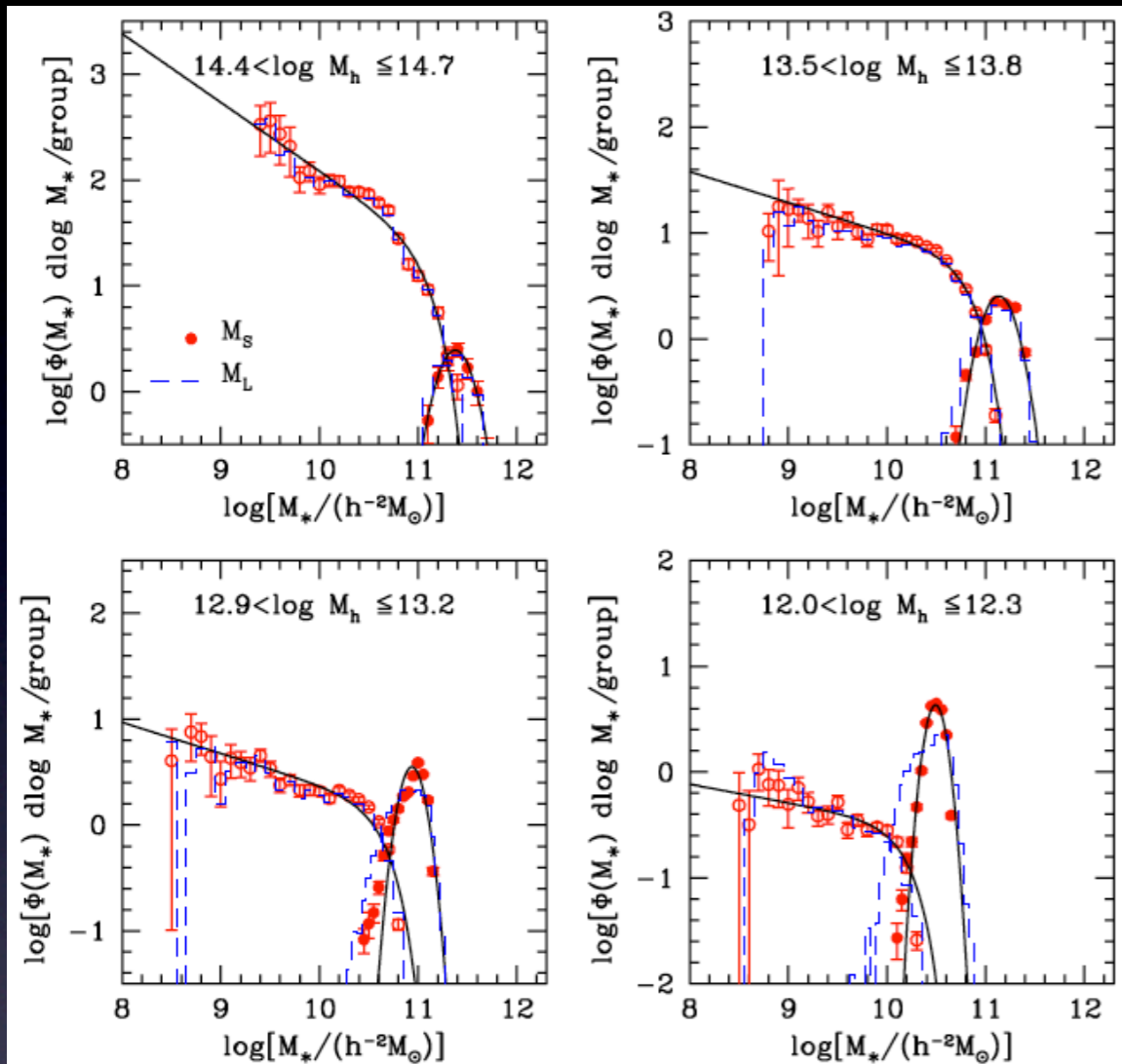
Guzik & Seljak 2002; Seljak et al. 2005; Mandelbaum et al. 2006; Yoo et al. 2006; Cacciato et al. 2009; van Uitert et al. 2011; Leauthaud et al. 2012;

Galaxy-Group Catalogues



Eke et al. 2004; Yang et al. 2005, 2007, 2008, 2009; vdB et al. 2008; Weinmann et al. 2006a,b; Pasquali et al. 2010, 2012; Wetzel et al. 2012

New Insights from Galaxy Group Catalogues

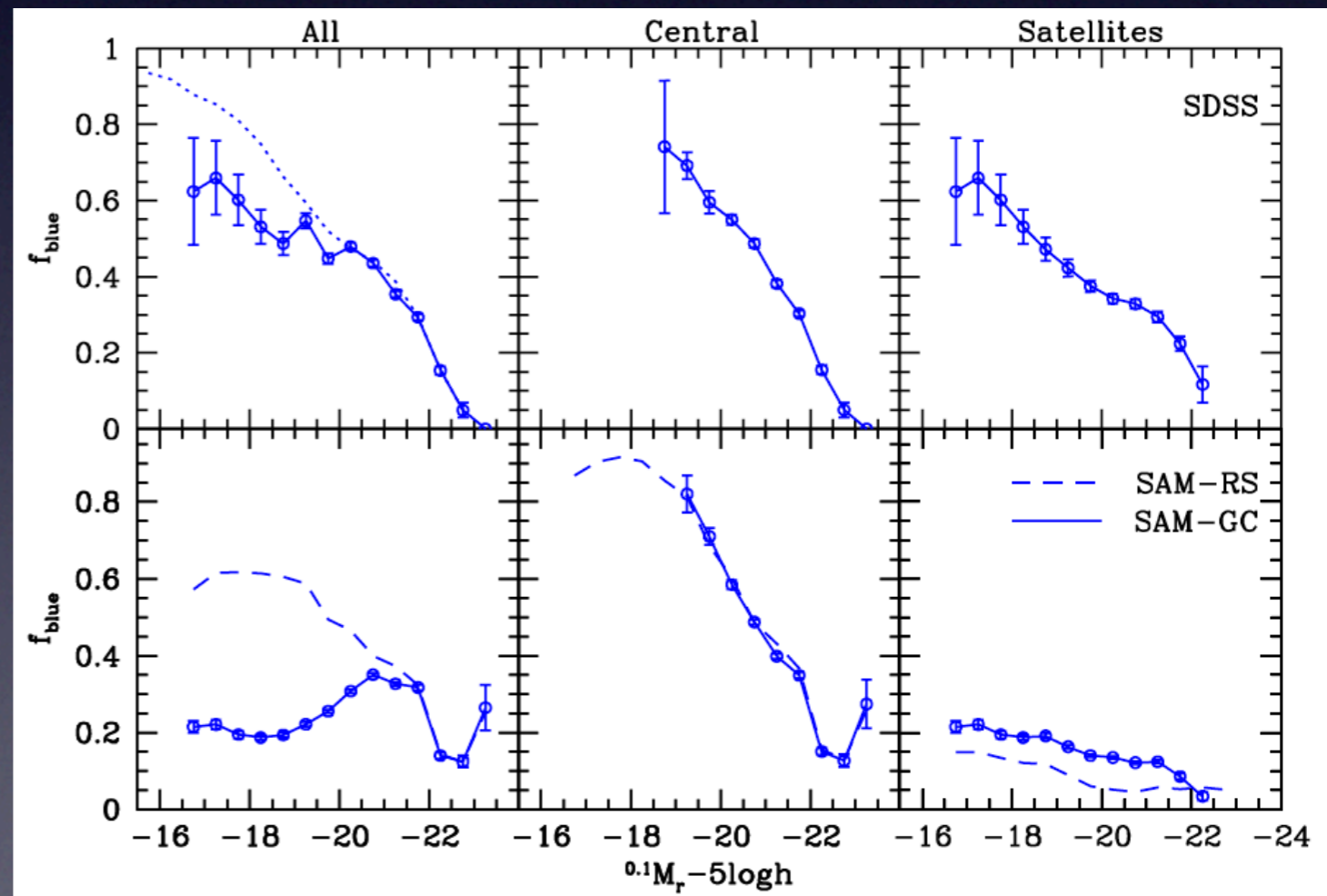


Source: Yang, Mo & vdB et al. 2009, ApJ, 695, 900

SAMs over-quench satellites

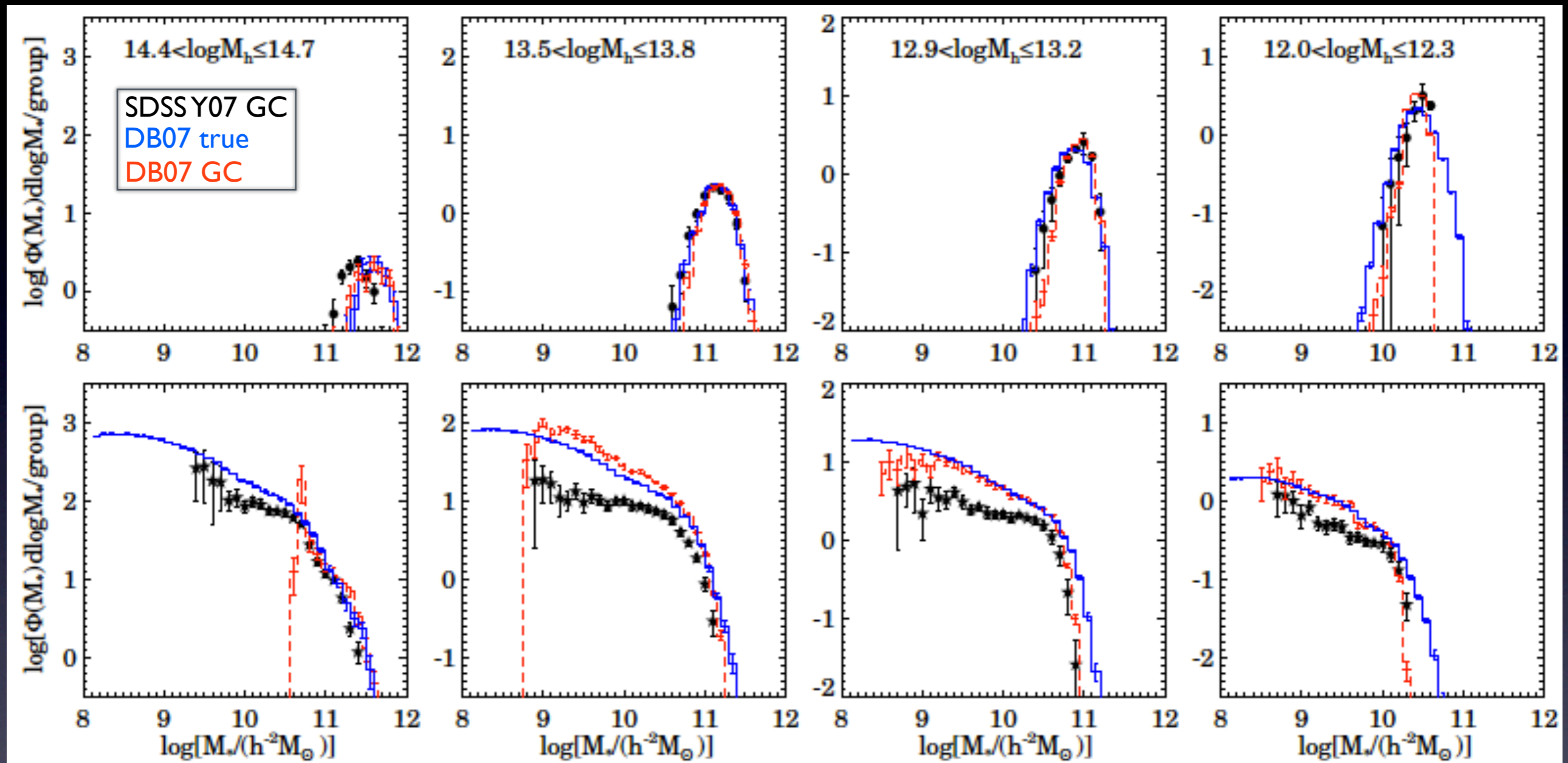
See also: vdB et al. 2008; Kimm et al. 2009; Wetzel et al. 2012.

- Group Catalogues allow distinction between centrals and satellites.
- Comparing centrals to satellites provides insight into satellite-specific processes.



Source: Weinmann, vdB et al. 2006, MNRAS, 372, 1161

The Abundance of Satellite Galaxies



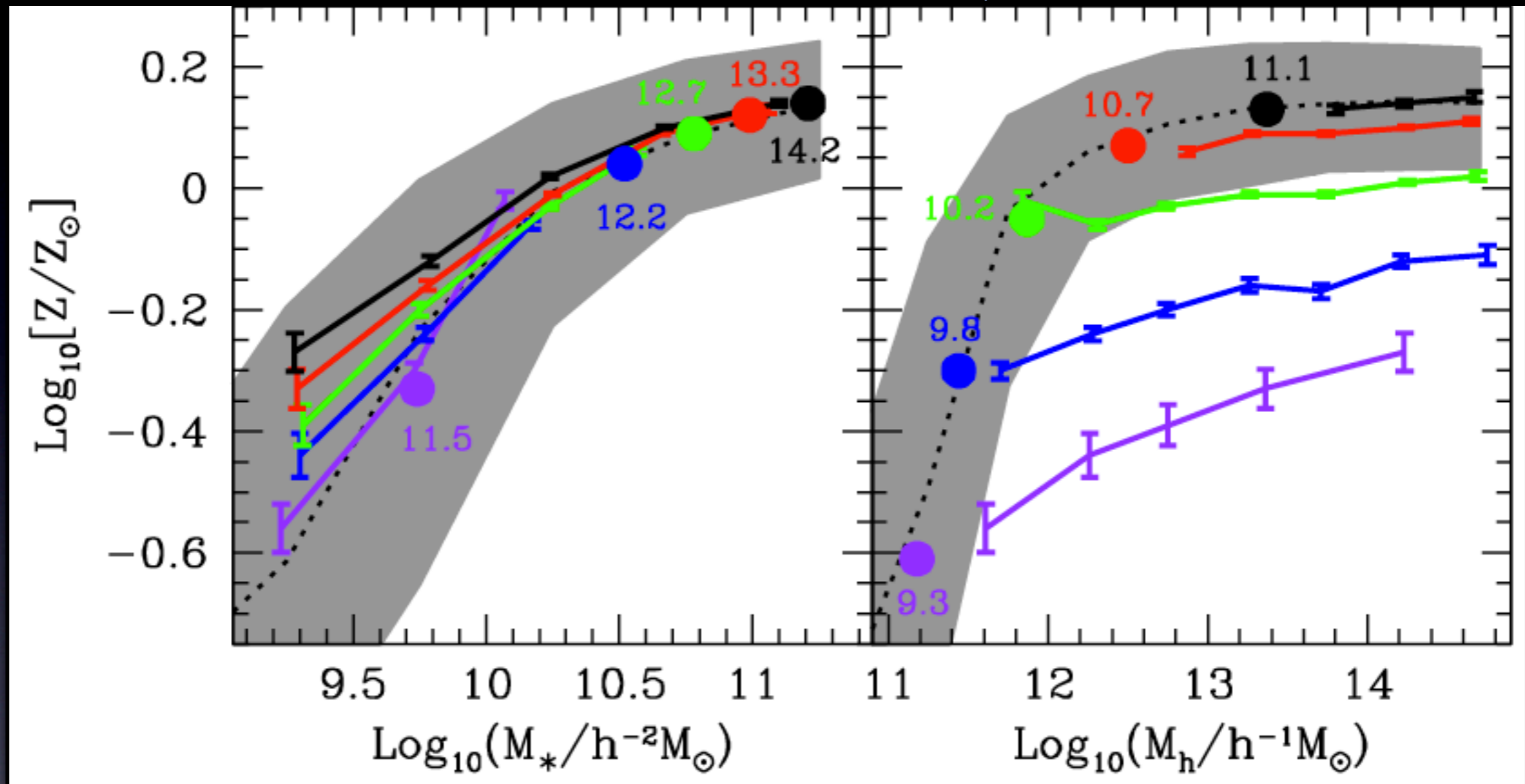
Source: Liu, Yang Mo, vdB & Springel, 2010, ApJ, 712, 734

Semi-Analytical Models predict too many satellite galaxies

See also: Conroy, Ho & White 2007; Conroy, Wechsler & Kravtsov 2009;
Kang & vdB 2008; Yang, Mo & vdB 2009; Henriques & Thomas 2009

Stellar Metallicities of Centrals and Satellites

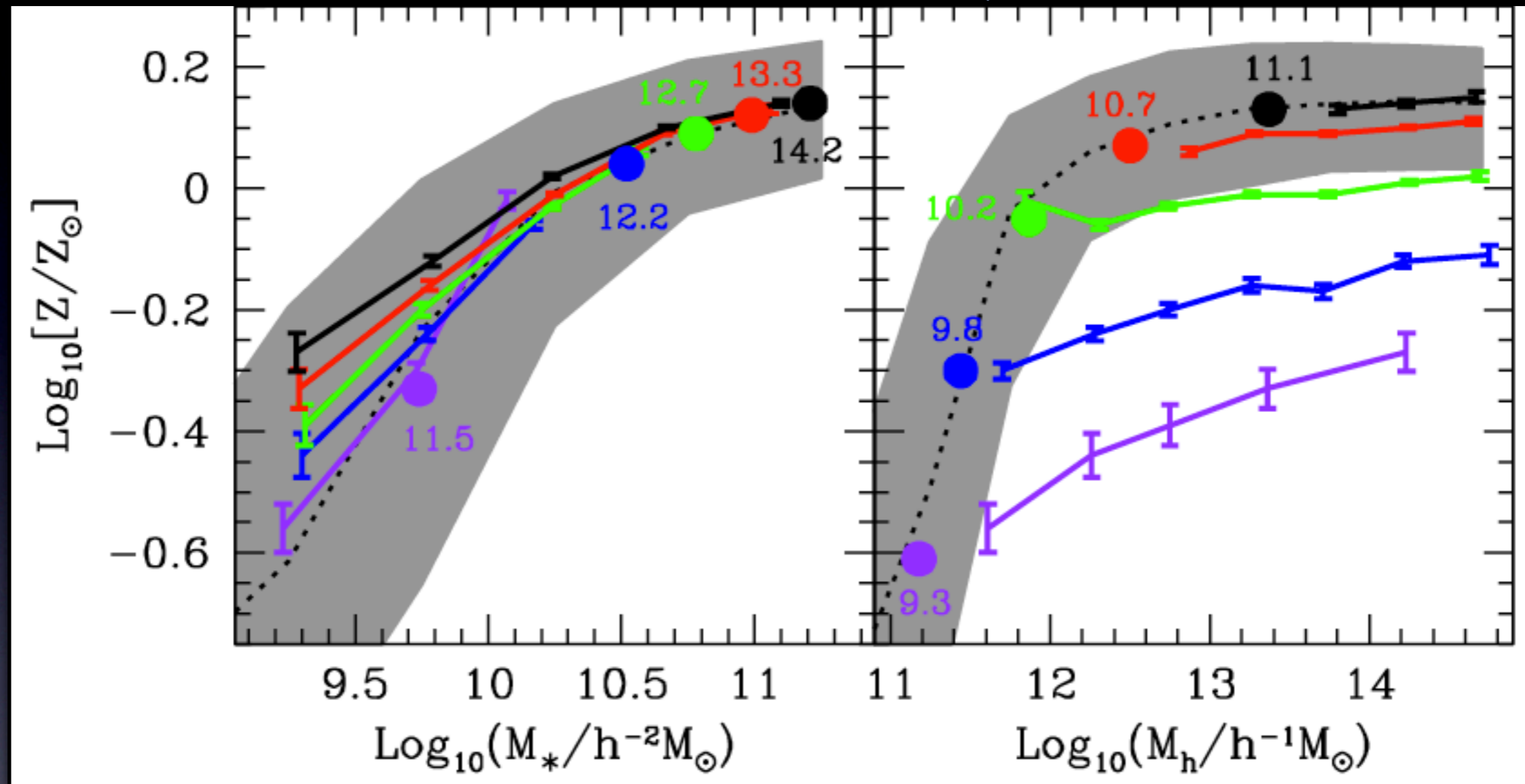
Source: Pasquali et al. 2010, MNRAS, 407, 937



- Satellites have higher metallicity than centrals of same stellar mass.
- Satellites of given M_* have higher metallicity in more massive host halo

Stellar Metallicities of Centrals and Satellites

Source: Pasquali et al. 2010, MNRAS, 407, 937



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Satellite Galaxies experience large amount of mass stripping

A Dynamic, Self-Consistent Model

Yang et al. 2011, ApJ, 741, 13

Yang et al. 2012, ApJ, 752, 41

central galaxies

$$\Phi_c(M_*|M, z) = \frac{1}{2\pi\sigma_c} \text{EXP} \left[-\frac{(\log M_*/\bar{M}_*)^2}{2\sigma_c^2} \right] \quad \left. \begin{array}{l} \bar{M}_* = \bar{M}_*(M, z) \\ \sigma_c = \sigma_c(z) \end{array} \right\} \text{9 free parameters}$$

A Dynamic, Self-Consistent Model

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satellite galaxies are centrals at infall:

$$\Phi_s(M_*|M, z) = \int_0^\infty dM_{*,a} \int_0^M dm_a \int_z^\infty dz_a \int_0^M dM_a \int_0^1 d\eta \Phi_c(M_{*,a}|m_a, z_a) n_{\text{sub}}(m_a, z_a|M, z) \\ P(M_*, z|M_{*,a}, z_a; m_a; M_a, \eta) P(M_a, z_a|M, z) P(\eta)$$

A Dynamic, Self-Consistent Model

Yang et al. 2011, ApJ, 741, 13
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a simplified model for the evolution of satellites:

$$P(M_*, z|M_{*,a}, z_a; m_a; M_a, \eta) = \begin{cases} \delta^D(M_* - M'_*) & \text{if } \Delta t < \alpha t_{\text{df}}(m, M, z, \eta) \\ 0 & \text{otherwise} \end{cases}$$

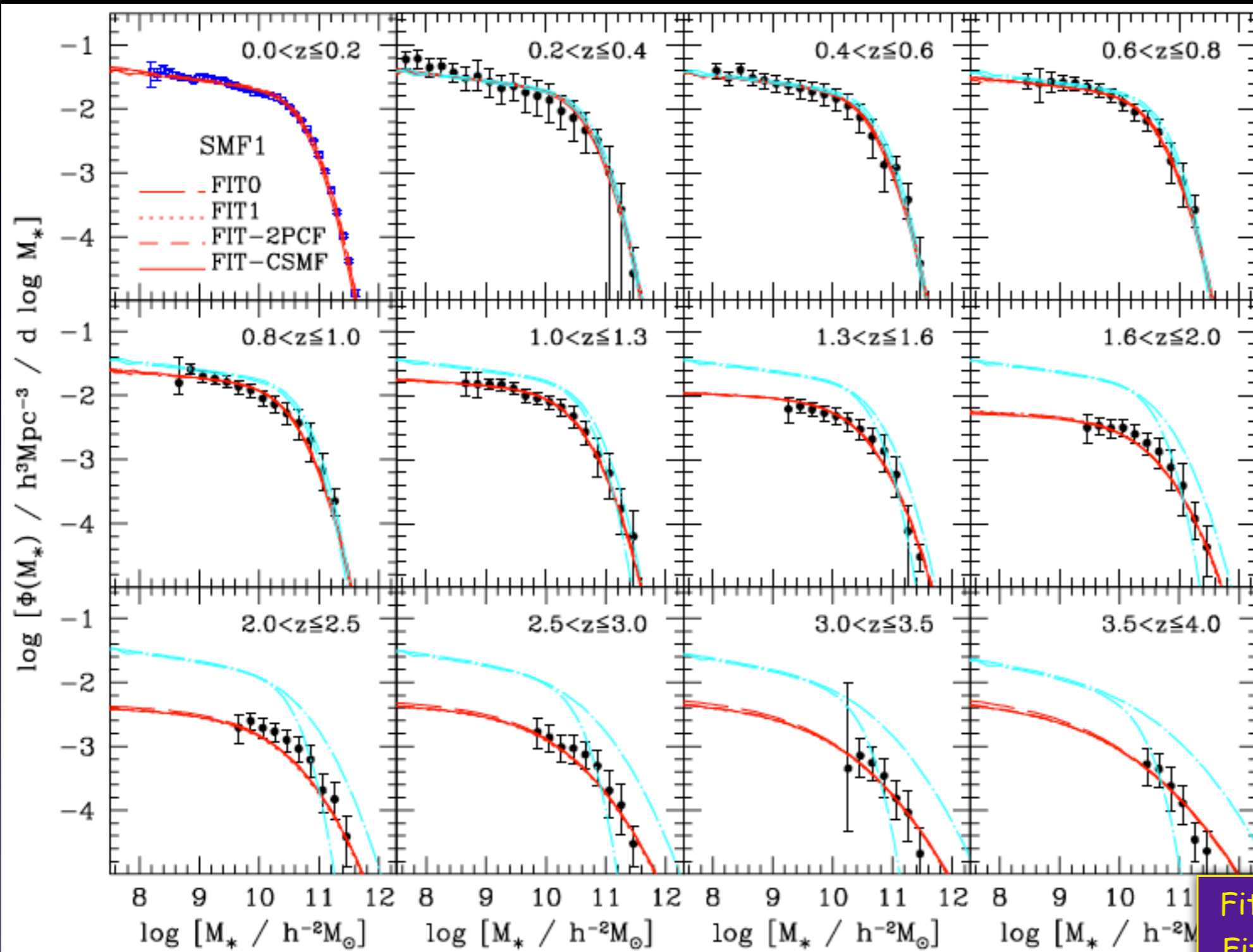
$$M'_* = (1 - c) M_{*,a} + c \bar{M}_{*,c}(m_a, z)$$

α `satellite disruption' parameter
 c `satellite mass growth' parameter

Fit to Stellar Mass Functions across Cosmic Time

Data: Yang et al (2009; $z \sim 0.1$)

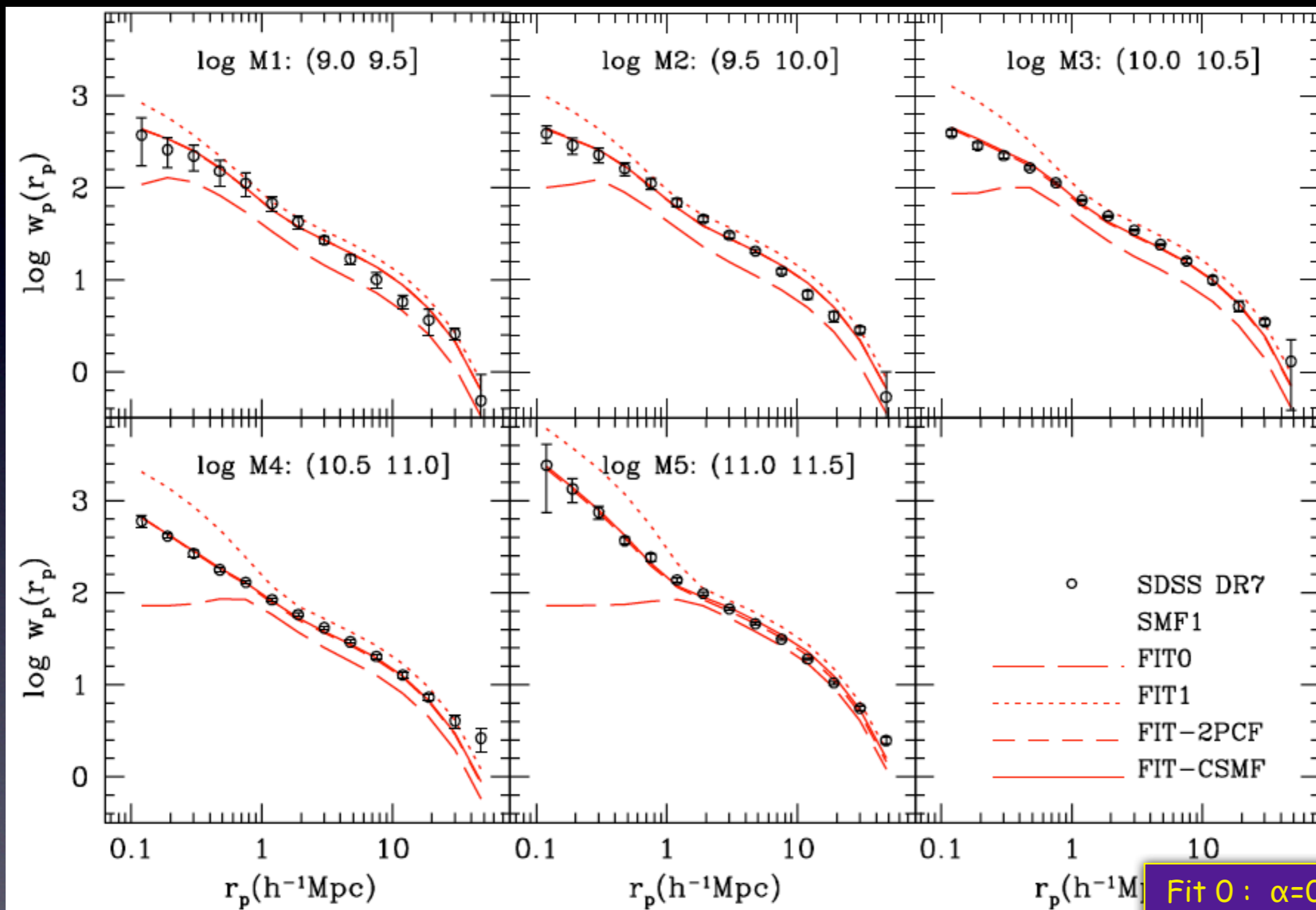
Perez-Gonzales et al. (2008)



Fit 0 : $\alpha=0 \rightarrow$ no sats
 Fit 1 : $\alpha=\infty \rightarrow$ no evolution
 2PCF : fit to $\Phi(M_*) + 2PCF$
 CSMF : fit to $\Phi(M_*) + \Phi(M_*|M, z=0)$

Fit to Two-Point Correlation Functions at $z=0.1$

Data: SDSS DR7
(Yang et al. 2012)

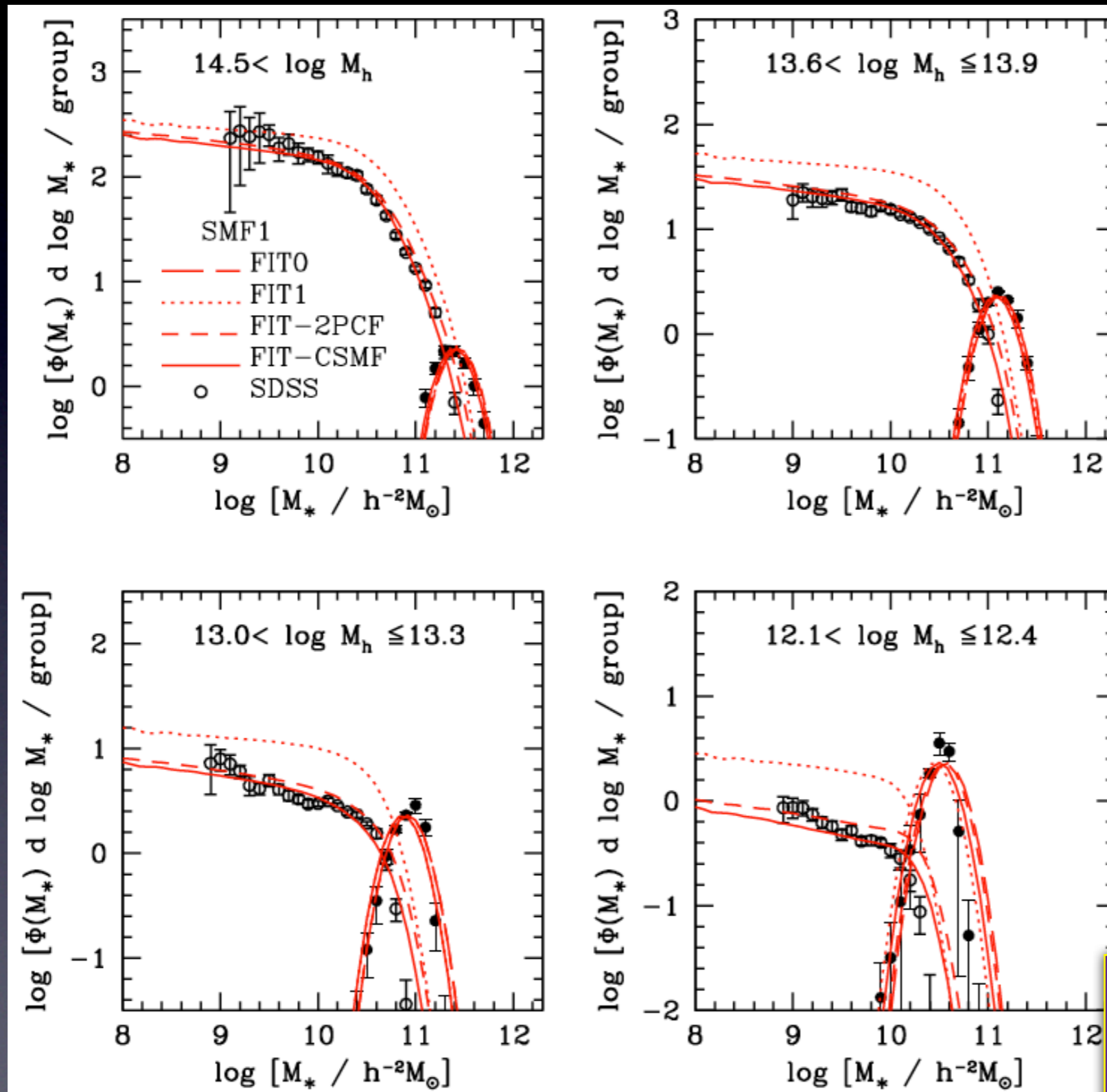


Source: Yang et al. 2012, ApJ, 752, 41

Fit 0 : $\alpha=0 \rightarrow$ no sats
Fit 1 : $\alpha=\infty \rightarrow$ no evolution
2PCF : fit to $\Phi(M_*) + 2PCF$
CSMF : fit to $\Phi(M_*) + \Phi(M_*|M, z=0)$

Fit to Conditional Stellar Mass Functions at $z=0.1$

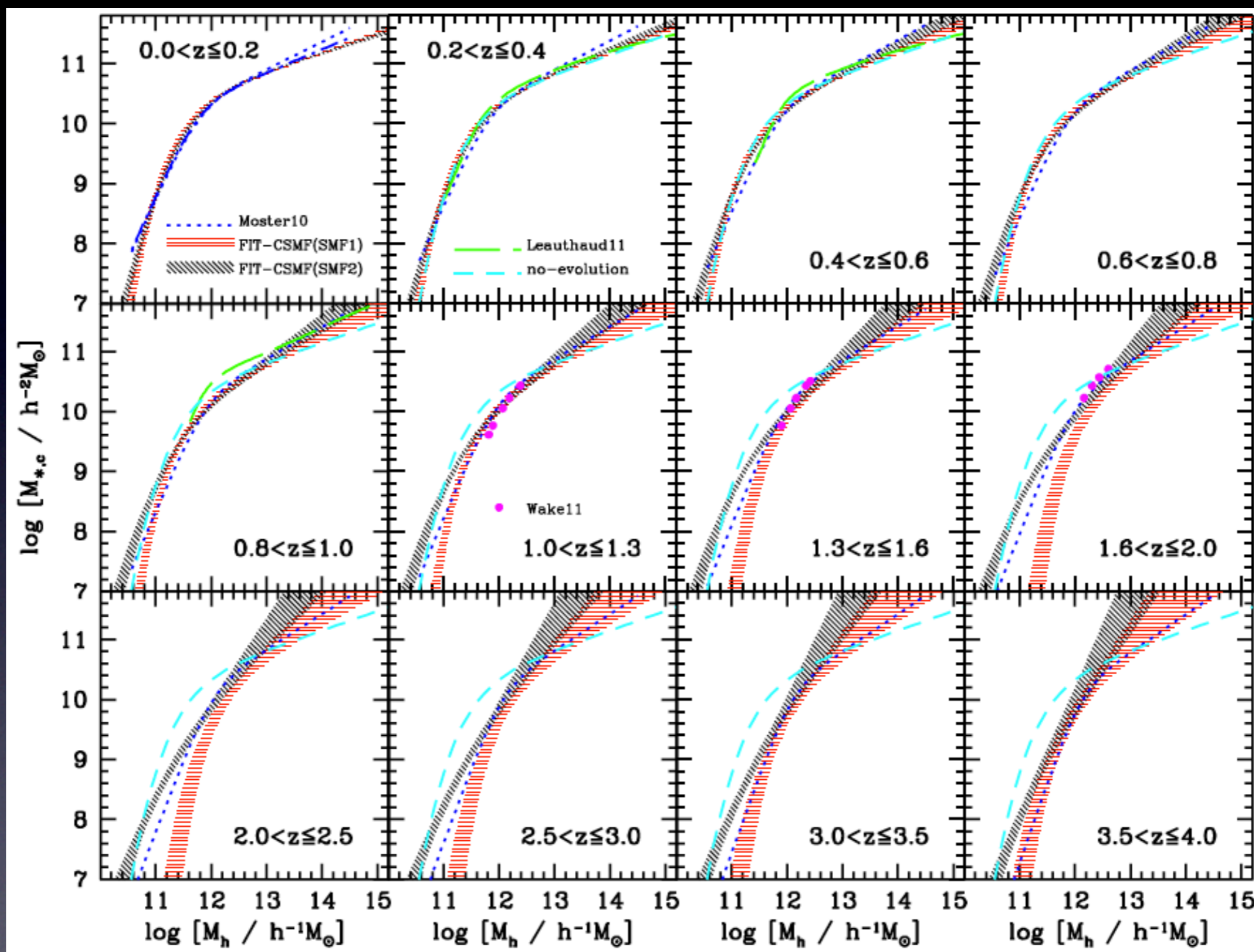
Data: SDSS Galaxy Group Catalogues
(Yang et al. 2009)



best-fit value for
 $c \sim 0.95 \pm 0.05$
indicating that sats
continue to grow in
stellar mass after
accretion, in excellent
agreement with recent
results by
Wetzel et al. (2012)

Fit 0 : $\alpha=0 \rightarrow$ no sats
Fit 1 : $\alpha=\infty \rightarrow$ no evolution
2PCF : fit to $\Phi(M_*) + 2PCF$
CSMF : fit to $\Phi(M_*) + \Phi(M_*|M, z=0)$

Comparison of Stellar Mass - Halo Mass Relations

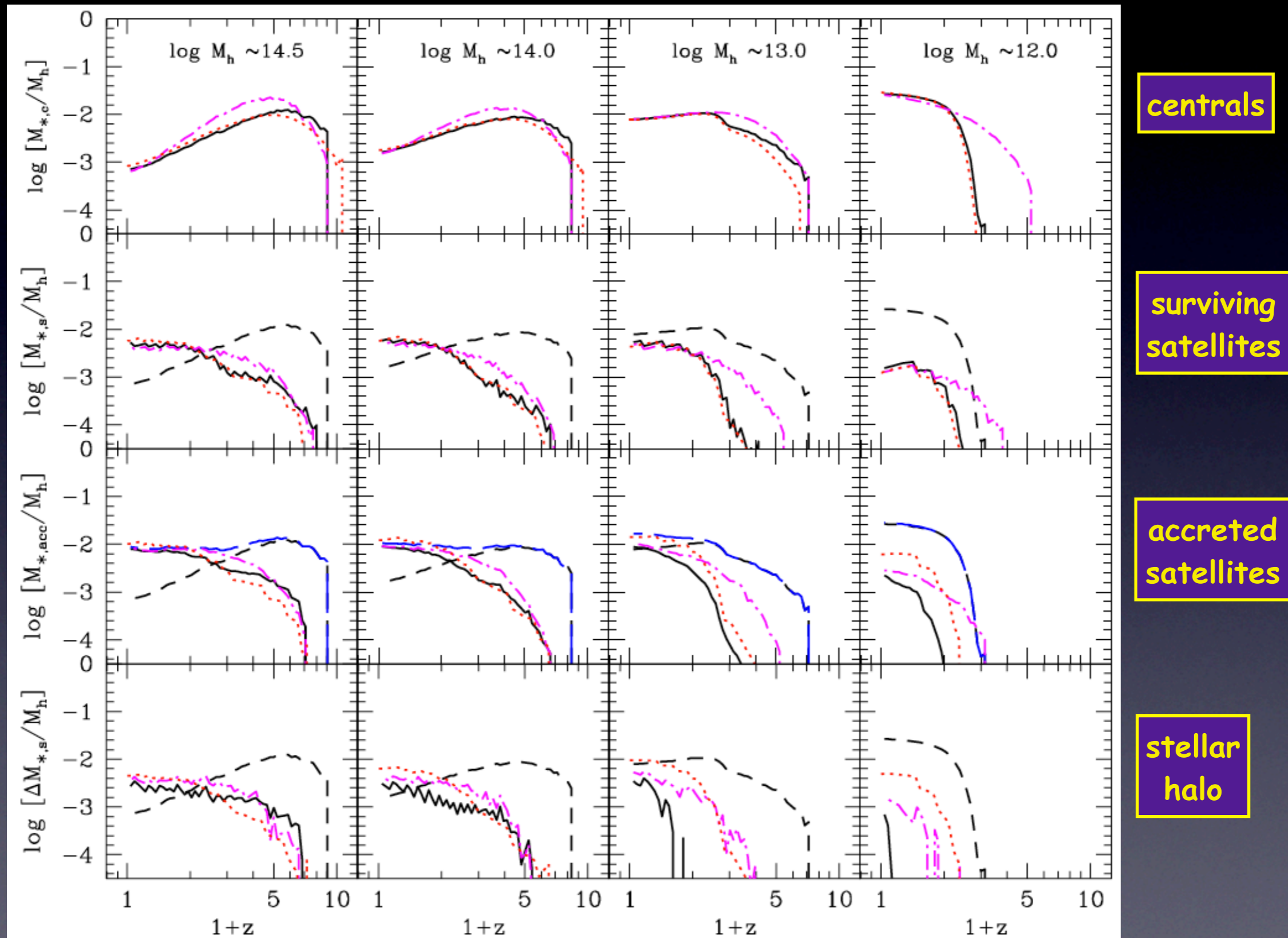


Source: Yang et al. 2012, ApJ, 752, 41

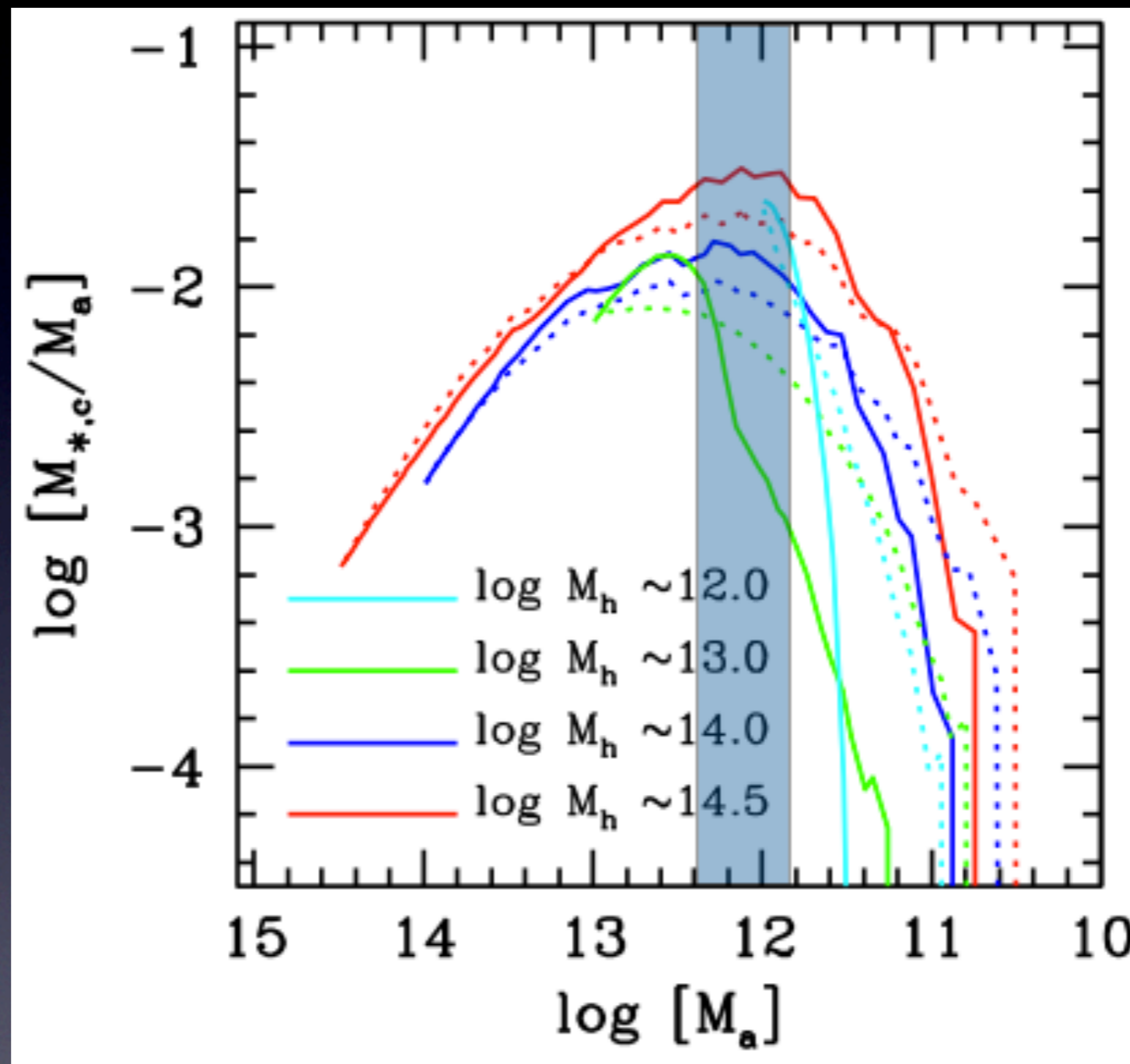
Main uncertainty arises from uncertainties in observational constraints on stellar mass functions at high redshift

SMF1: Perez-Gonzales et al. (2008)
SMF2: Drory et al. (2005)

Stellar Assembly Histories of Galaxies



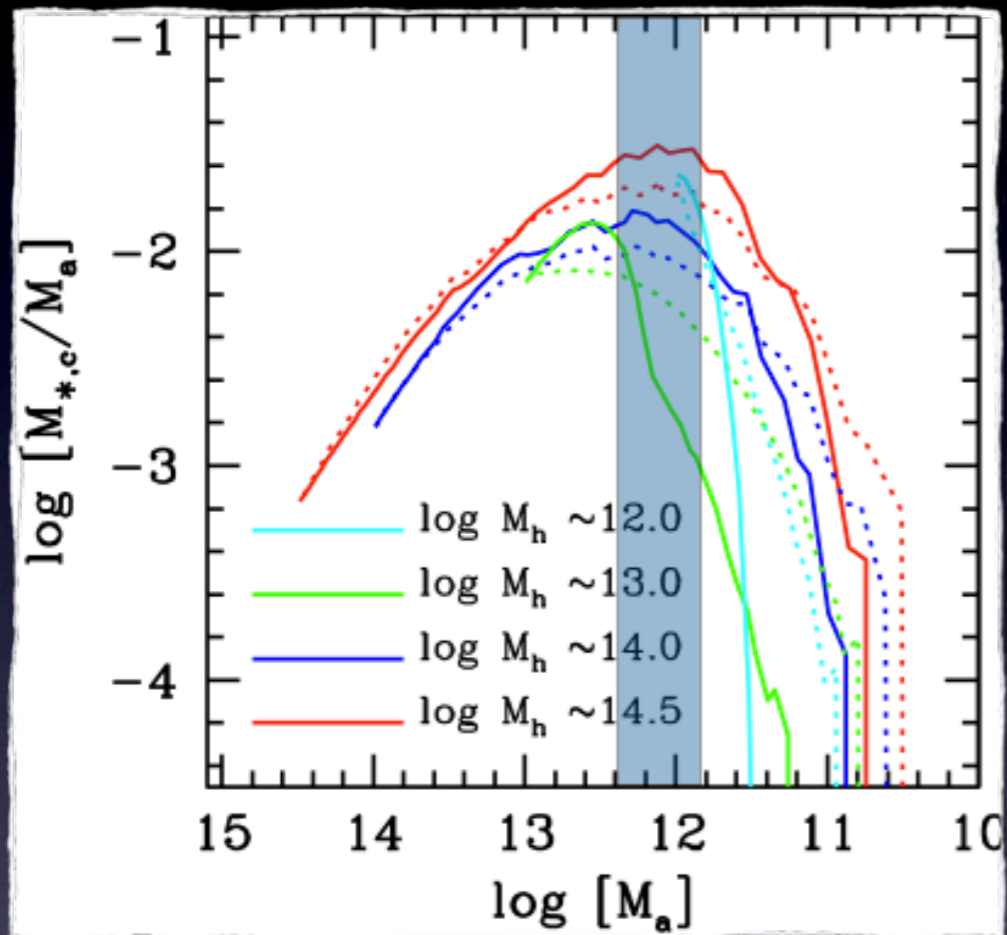
The Stellar Assembly History of Central Galaxies



Stellar Mass Growth is truncated once halo mass reaches $\sim 10^{12} h^{-1} M_{\odot}$

Mass growth, quenching & stripping

Central galaxies grow in stellar mass until host halo mass $\sim 10^{12} h^{-1} M_{\odot}$

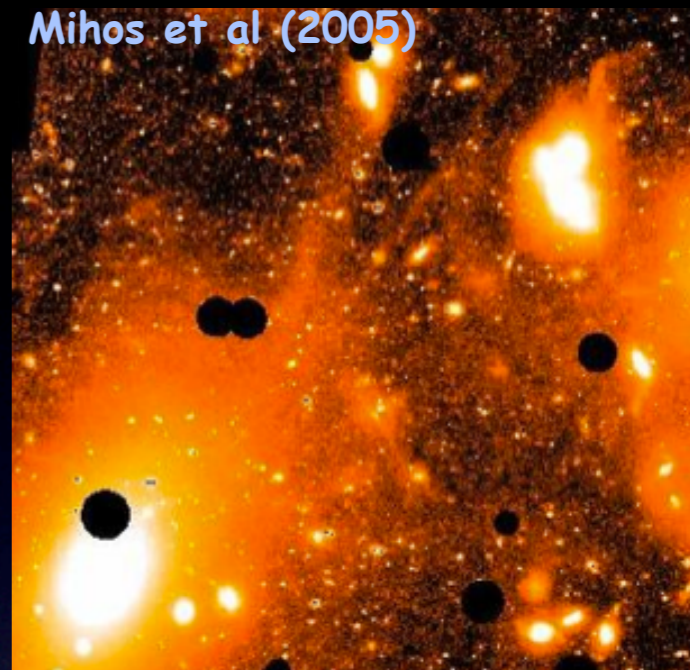


Yang et al. 2012, ApJ, 752, 41

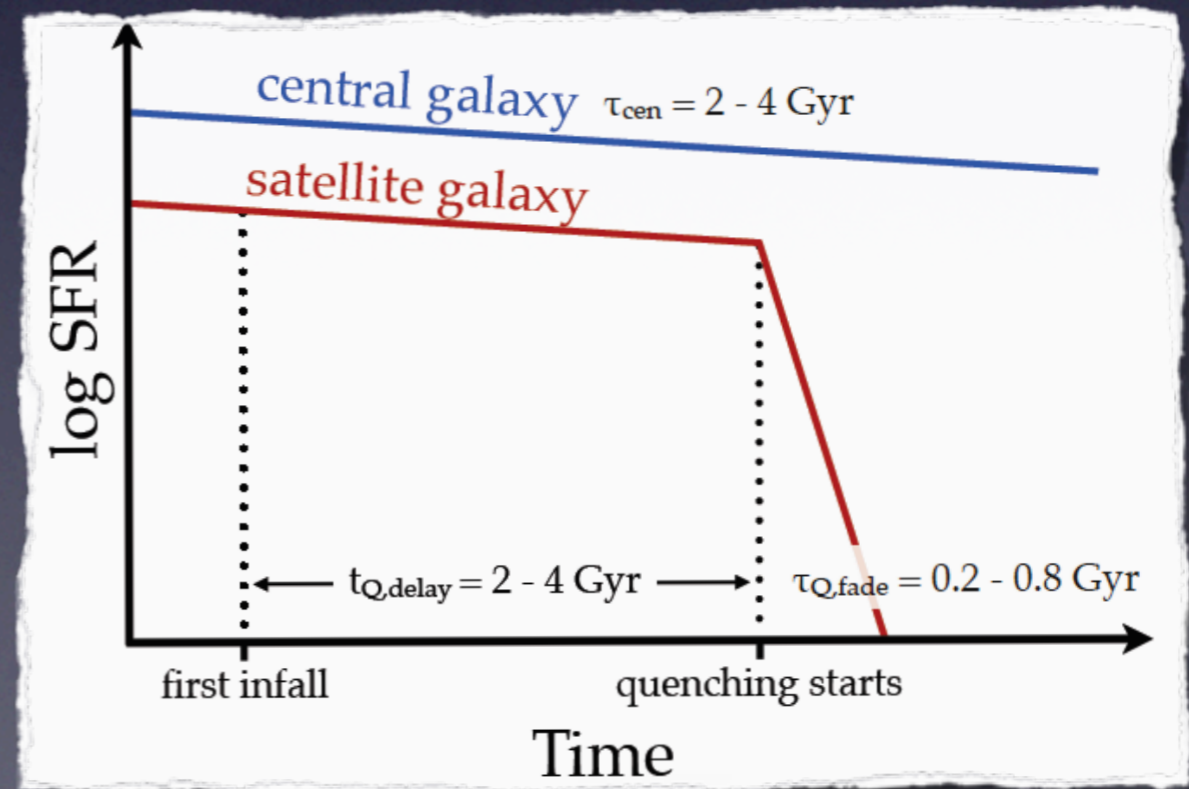
Satellites continue to grow in stellar mass after accretion for 2-4 Gyr. After that they quench rapidly (in 0.2 - 0.8 Gyr).

See also: Weinmann et al. 2006, 2009; vdB et al. 2008; Kimm et al. 2009; Wetzel et al. 2012

Tidal disruption of satellite galaxies is an important ingredient. It explains both satellite abundances and ICL/stellar halos.



See also: Conroy et al. 2007; Kang & vdBosch 2008; Yang, Mo & vdBosch 2009; Pasquali et al. 2010



Wetzel et al. 2012 (arXiv:1206.3571)

CONCLUSIONS

- Satellite Galaxies are very different from Central Galaxies.
- We presented the first fully self-consistent, dynamic model of the galaxy-dark matter connection across cosmic time.
- The model accurately matches all data (stellar mass functions, correlation functions, conditional stellar mass functions)
- Limiting factor is accuracy of stellar mass functions at high z .
- Time scale for satellite disruption \sim dynamical friction time.
- Satellites continue to grow in stellar mass very much like centrals of the same stellar mass (see also Wetzel et al. 2012)
- Central galaxies 'quench' once halo mass reaches $\sim 10^{12} M_{\text{sun}}$
- Stellar mass growth is **COMPLETELY** decoupled from halo mass growth; star formation only happens over ~ 1 decade in halo mass: $10^{11} - 10^{12} M_{\text{sun}}$